

## Development of Draft Design for Magnet Control System of Wireless Endoscopic Capsule

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### ABSTRACT

Control systems for wireless endoscopic capsules play a very important role as they help to stop the capsule in the exact part of patient's digestive system for more detailed examination. This paper deals with the draft design for magnet control system of the wireless endoscopic capsule. Calculations for two different cross-sections of coil (square and rectangular) are presented. Analysis of copper wire and copper tube usage for control system is made. Previous developments differ from the present article about control system of endoscopic capsule, which is controlled by the external magnet field. An approach, presented in the article, helps to provide more accurate and quick magnet field change, while system fault tolerance increases.

**Key words:** endoscopic capsule, control systems, magnet field, coil, copper tube, copperwire.

### INTRODUCTION

At present, a lot of attention is paid to control systems of wireless endoscopic capsules, because they help to stop the capsule in the exact part of the digestive system for more detailed examination. There are different approaches to control, for example, in<sup>1</sup> expandable capsule is described made of the electroactive polymer, which changes its size when electric current is applied. But control systems are often built on the basis of magnet field usage.

Magnet systems for wireless endoscopic capsules control are described in many patent claims (descriptions) and scientific articles. For example, Sun et al. describe multi-applications of a magnet configuration in actuating wireless capsule endoscope<sup>2</sup>. Lien et al. propose a capsule endoscope magnetic control system [3]. Wakefield tells about magnetically propelled capsule endoscopy provides for the medical examination and treatment of the gastrointestinal tract, reproductive tract, trachea, lungs, vascular system

or any accessible body cavity<sup>4</sup>. Kim et al. present a modified magnetic capsule endoscope that can be fixed inside the stomach and to monitor the gastric motility<sup>5</sup>.

The described methods differ from the one, described in this article. The developed solution helps to provide more accurate and quick magnet field change (in this case magnetic field distribution can be stable and can guarantee, that the capsule will move in the required direction and with the necessary speed), system fault tolerance increases.

Control system development should be based on the results of detailed numerical modeling and prototype creation, which helps to check modeling results, to work in practice developed approaches to issue resolution and form general technical specifications for the system.

### MATERIALS AND METHODS

To evaluate sample coil parameters it is necessary to estimate, which fields and field

gradients are required for creation of efforts and moments, which can move and spin the coil. For this purpose preliminary analytical estimations were made. To solve the issue at first it is necessary to make some resistance to motion of the capsule to simulate the movement within intestine. At second, on the first stage it is convenient to compensate gravity to take into account only the interaction between the magnet field and the environmental resistance. That is why on this stage it is more preferable to put the capsule with some thick liquid, like glycerin. Thus, to evaluate the necessary power for capsule movement it was considered that it can be compared with thick friction force within the liquid<sup>6</sup>:

$$F_{fr} = 3\pi d v \eta \quad \dots(1)$$

where  $d$  is a capsule diameter equal to 0.012 m, movement speed ( $v$ ) equals 10 mm/sec (this speed is enough to move through 4-5 m tract for a reasonable amount of time),  $\eta$  – dynamical liquid viscosity.

Means, for glycerin with viscosity  $1480 \cdot 10^{-3} \text{ Pa} \cdot \text{sec}$  at a temperature of  $20^\circ \text{C}$  the friction force will be:

$$F_{fr} = 3 \cdot 3.14 \cdot 0.012(\text{m}) \cdot 0.01(\text{m}/\text{sec}) \cdot 1480(\text{Pa} \cdot \text{sec}) = 1.67 \cdot 10^{-3} = 0.167 \text{ g.wt}$$

Let us assume that some threshold value of force is equal to 0.2 g.wt. To determine the limit spin moment produced by the magnet field, let us evaluate the moment of a couple for friction force, evaluate the moment of a couple for friction force affecting the capsule, which is spinning around the axis perpendicular to the symmetry axis:

$$N_{fr} = 2 \cdot F_{fr} \cdot L / 2 = 3\pi d v \eta \cdot L \quad \dots(2)$$

where  $L$  is the length of the capsule, thus:

$$N_{fr} = 0.167(\text{g.wt}) \cdot 3(\text{cm}) = 0.5 \text{ g.wt} \cdot \text{cm}.$$

Now for the evaluated limit values of force and moment let us calculate the coils parameters. Consider that the working volume, where the capsule will be placed, is a cube 200 mm on a side. Because it was necessary to preliminarily evaluate the coils parameters, we assume a coil with one circular turn with the current.

Field of circular turn axis depends on the distance from the turn center<sup>7</sup>:

$$B = \frac{\mu_0 I}{2} \frac{R^2}{(R^2 + z^2)^{3/2}} \quad \dots(3)$$

Derived field along  $z$ :

$$\frac{\partial B}{\partial z} = \frac{\mu_0 I R^2}{2} \left( -\frac{3}{2} \right) \frac{2z}{(R^2 + z^2)^{5/2}} \quad \dots(4)$$

Let us make a diagram of this dependence for the case, when the coil is recorded. In Fig. 1 the dependence of coefficient before  $\frac{\mu_0 I}{R^2}$  from the distance along  $Z$  axis between the coils in coil radius units; one turn is powered with current and is situated in  $-1$  coordinate of coil radius.

To determine power characteristics of the coil it is necessary to take into consideration the least force influencing a dipole. This force is influencing the dipole placed in the furthest dot from the “pulling” coil with the least gradient on the distance of two coil radiuses. Zero gradient in the center of the turn was not taken into consideration, because this dot is knowingly placed outside of the working area.

Further magnetic moment for the magnet was determined. The magnet placed inside the capsule will be considered in approximation of the magnet dipole with the magnet moment and will be calculated according to the formula:

$$\mu = \frac{B_r V}{\mu_0} \quad \dots(5)$$

where  $B_r$  is a remanent magnetic induction of the N38 magnet equal to 1.25 T, and  $V$  is the magnet's volume, therefore the magnet moment equals:

$$\mu = \frac{1.25 \text{ T} \cdot \frac{4}{3} \cdot (0.012 \text{ m})^3 \cdot 0.002 \text{ m}}{4\pi \cdot 10^{-7} \text{ henry/m}} = 0.225 \text{ A} \cdot \text{m}^2$$

Let us put the force expression, which affects the dipole and is situated on the symmetry axis in the center of the system and in the center of the opposite turn without power ( $z = 2R$ ) depending on the number of ampere-turns and turn radius:

$$F(z=R) = 0.27 \cdot \frac{\mu_0 I^2}{R^2} \cdot \mu = 0.27 \cdot 4\pi \cdot 10^{-7} \cdot 0.225 \cdot \frac{100^2}{(0.125)^2} = 7.6 \cdot 10^{-6} (\text{Gs}) \cdot \frac{100}{R(\text{m})^2} \dots(6)$$

$$F(z=2R) = 0.05 \cdot \frac{\mu_0 I^2}{R^2} \cdot \mu = 0.05 \cdot 4\pi \cdot 10^{-7} \cdot 0.225 \cdot \frac{100^2}{(0.125)^2} = 1.4 \cdot 10^{-6} (\text{Gs}) \cdot \frac{100}{R(\text{m})^2} \dots(7)$$

**RESULTS**

Consider next several coil systems: two systems made from the copper hollow tube 6.35 mm in diameter, two systems made from copper wires 1 mm in diameter and two systems made from the copper wire 2 mm in diameter.

**1) Copper hollow tube. Characteristics**

- Coil cross-section 5 smx 10 sm.
- Innercoildiameter – 20 sm.
- Outercoildiameter – 30 sm.
- Mid diameter– 25 sm.
- Diameter – 3/8 inches or 6.35 mm in diameter.
- Thickness – 0.76 mm.
- Wire section– 7.12mm<sup>2</sup>.

Horizontal slice of coil system with 5sm x 10 smsection is presented in Fig. 2.

Depending on the gap between the tubes, the following numbers of turns can be evaluated with 10 x 5 smcross-section (Table 1):

Without additional cooling the 100 A current can flow through such tube. For example, if 100 A current is used, than with the most density packaging of 100 turns, 10kA-turns can be taken as well as force on the boarder:

$$F(z=2R) = 1.4 \cdot 10^{-6} (\text{Gs}) \cdot \frac{I(\text{A})}{R(\text{m})^2} = 1.4 \cdot 10^{-6} (\text{Gs}) \cdot \frac{10000(\text{A})}{(0.125\text{m})^2} = 0.9 \text{Gs}$$

In the center of the system:

$$F(z=R) = 7.6 \cdot 10^{-6} (\text{Gs}) \cdot \frac{I(\text{A})}{R(\text{m})^2} = 7.6 \cdot 10^{-6} (\text{Gs}) \cdot \frac{10000(\text{A})}{(0.125\text{m})^2} = 5 \text{Gs}$$

Resistance of one such coil equals:

$$R = \frac{\rho l}{S} = \frac{0.018 (\text{Ohm} \cdot \frac{\text{mm}}{\text{m}}) \cdot 2 \cdot \pi \cdot 0.125 (\text{m}) \cdot 100 (\text{turns})}{7.12 (\text{mm}^2)} = 0.2 \text{ Ohm}$$

Current source strength:

$$P = I^2 R = (100\text{A})^2 \cdot 0.20\text{ohm} = 2000 \text{ Wt}$$

Power voltage

$$U = I = 100 \text{ A} \cdot 0.20\text{hm} = 20 \text{ W}$$

**2) Copper tube. Characteristics**

- Coil cross-section 10sm x 10 sm.
- Coil made with copper tubes.
- Inner coil diameter – 20 sm.
- Outercoildiameter – 30 sm.
- Diameter – 3/8 inches or 6.35 mm in diameter.
- Thickness – 0.76 mm.
- Cross section – 7.12mm<sup>2</sup>.
- Middiameter– 30 sm.

Horizontal slice of coil system with 10 sm x 10 sm section is presented in Fig. 3.

Depending on the gap between the tubes, the following numbers of turns can be evaluated with 10 x10 sm cross-section (Table 2):

For the same 100A and coil radius equal to 15 sm the following force will be on the boarder:

$$F(z=2R) = 1.4 \cdot 10^{-6} (\text{Gs}) \cdot \frac{I(\text{A})}{R(\text{m})^2} = 1.2 \text{Gs}$$

In the center of the system:

$$F(z=R) = 7.6 \cdot 10^{-6} (\text{Gs}) \cdot \frac{I(\text{A})}{R(\text{m})^2} = 6.7 \text{Gs}$$

Resistance of one such coil will be equal to:

$$R = \frac{\rho l}{S} = \frac{0.018 (\text{Ohm} \cdot \frac{\text{mm}}{\text{m}}) \cdot 2 \cdot \pi \cdot 0.15 (\text{m}) \cdot 200 (\text{turns})}{7.12 (\text{mm}^2)} = 0.5 \text{ Ohm}$$

Current source strength:

$$P = I^2 R = (100\text{A})^2 \cdot 0.50\text{hm} = 5000 \text{ Wt}$$

Power voltage:

$$U = IR = 100 \text{ A} \cdot 0.05\text{hm} = 50 \text{ W}$$

In comparison to the previous case, it is clear that we need twice the amount of copperwire and the force has raised only by 20%.

**3) Copper wire with 1 mm in diameter.Characteristics**

- Coil cross-section 5smx 10 sm.
- Inner coil diameter – 20 sm.
- Outercoildiameter – 30 sm.
- Mid diameter – 25 sm.
- Wire diameter – 1 mm.
- Wire section = 0.785mm<sup>2</sup>.
- Number of turns = 50\*100 = 5000 turns.

Horizontal slice of coil system is presented in Fig. 2.

if current density is equal to  $1\text{ A/mm}^2$ , means this density will be taken for evaluation of the corresponding transformer coils, so the current equal to  $0.8\text{ A}$  will flow; force at the borders of the working volume will be equal to:

$$F(z=2R) = 1.4 \cdot 10^{-6} (\text{Gs}) \cdot \frac{I(\text{A})}{R(\text{m})^2} = 1.4 \cdot 10^{-6} (\text{Gs}) \cdot \frac{4000 (\text{A})}{(0.125\text{m})^2} = 0.4\text{Gs}$$

In the center of the system:

$$F(z=R) = 7.6 \cdot 10^{-6} (\text{Gs}) \cdot \frac{I(\text{A})}{R(\text{m})^2} = 7.6 \cdot 10^{-6} (\text{Gs}) \cdot \frac{4000 (\text{A})}{(0.125\text{m})^2} = 2.2\text{Gs}$$

Resistance of one such coil will be equal to:

$$R = \frac{\rho l}{S} = \frac{0.018 \left( \text{Ohm} \cdot \frac{\text{mm}^2}{\text{m}} \right) \cdot 2 \cdot \pi \cdot 0.125 (\text{m}) \cdot 5000 (\text{turns})}{0.785 (\text{mm}^2)} = 90 \text{ Ohm}$$

Current source strength:

$$P = I^2 R = (0.8\text{A})^2 \cdot 900\text{m} = 57.6 \text{ Wt}$$

Power voltage:

$$U = I = 0.8 \text{ A} \cdot = 72\text{W}$$

#### 4) Copper wire with 1 mm in diameter.

##### Characteristics:

- Coil cross-section  $10\text{sm} \times 10 \text{ sm}$ .
- Inner coil diameter –  $20 \text{ sm}$ .
- Outercoildiameter –  $40 \text{ sm}$ .
- Mid diameter–  $30 \text{ sm}$ .
- Wire diameter–  $1 \text{ mm}$ .
- Wire section=  $0.785\text{mm}^2$ .
- Number of turns=  $100 \cdot 100 = 10000 \text{ turns}$ .

Horizontal slice of coil system is presented in Fig. 3.

For the currency density equal to  $1\text{ A/mm}^2$  the voltage will be  $0.8\text{ A}$ ; force at the borders of the working volume will be equal to:

$$F(z=2R) = 1.4 \cdot 10^{-6} (\text{Gs}) \cdot \frac{I(\text{A})}{R(\text{m})^2} = 1.4 \cdot 10^{-6} (\text{Gs}) \cdot \frac{8000 (\text{A})}{(0.15\text{m})^2} = 0.5\text{Gs}$$

In the center of the system:

$$F(z=R) = 7.6 \cdot 10^{-6} (\text{Gs}) \cdot \frac{I(\text{A})}{R(\text{m})^2} = 7.6 \cdot 10^{-6} (\text{Gs}) \cdot \frac{8000 (\text{A})}{(0.15\text{m})^2} = 2.7 \text{ Gs}$$

Resistance of one such coil will be equal to:

$$R = \frac{\rho l}{S} = \frac{0.018 \left( \text{Ohm} \cdot \frac{\text{mm}^2}{\text{m}} \right) \cdot 2 \cdot \pi \cdot 0.15 (\text{m}) \cdot 10000 (\text{turns})}{0.785 (\text{mm}^2)} = 216 \text{ Ohm}$$

Current source strength:

$$P = I^2 R = (0.8\text{A})^2 \cdot 216\text{Ohm} = 138 \text{ Wt}$$

Power voltage:

$$U = IR = 0.8 \text{ A} \cdot 216\text{Ohm} = 173 \text{ W}$$

#### 5) Copper wire with 2 mm in diameter.

##### Characteristics

- Coil  $5\text{sm} \times 10 \text{ cm}$  cross-section.
- Inner coil diameter –  $20 \text{ sm}$ .
- Outer coil diameter –  $30 \text{ sm}$ .
- Mid diameter –  $25 \text{ sm}$ .
- Wire diameter –  $2 \text{ mm}$ .
- Wire section =  $3.14 \text{ mm}^2$ .
- Number of turns=  $25 \cdot 50 = 1250 \text{ turns}$ .

Horizontal slice of coil system is presented in Fig. 2.

For the currency density equal to  $1\text{ A/mm}^2$  the voltage will be  $3.14\text{ A}$ ; force at the borders of the working volume will be equal to:

$$F(z=2R) = 1.4 \cdot 10^{-6} (\text{Gs}) \cdot \frac{I(\text{A})}{R(\text{m})^2} = 1.4 \cdot 10^{-6} (\text{Gs}) \cdot \frac{3925 (\text{A})}{(0.125\text{m})^2} = 0.35 \text{ Gs}$$

In the center of the system:

$$F(z=R) = 7.6 \cdot 10^{-6} (\text{Gs}) \cdot \frac{I(\text{A})}{R(\text{m})^2} = 7.6 \cdot 10^{-6} (\text{Gs}) \cdot \frac{3925 (\text{A})}{(0.125\text{m})^2} = 1.9 \text{ Gs}$$

Resistance of one such coil will be equal to:

$$R = \frac{\rho l}{S} = \frac{0.018 \left( \text{Ohm} \cdot \frac{\text{mm}^2}{\text{m}} \right) \cdot 2 \cdot \pi \cdot 0.125 (\text{m}) \cdot 1250 (\text{turns})}{3.14 (\text{mm}^2)} = 5.6 \text{ Ohm}$$

Current source strength:

$$P = I^2 R = (3.14\text{A})^2 \cdot 5.6\text{Ohm} = 55 \text{ Wt}$$

Power voltage:  $U = I = 3.14 \text{ A} = 18 \text{ W}$

#### 6) Copper wire with 2 mm in diameter.

##### Characteristics

- Coil cross-section  $10\text{sm} \times 10 \text{ sm}$ .
- Inner coil diameter –  $20 \text{ sm}$ .
- Outercoildiameter –  $40 \text{ sm}$ .
- Mid diameter–  $30 \text{ sm}$ .
- Wire diameter –  $2 \text{ mm}$ .
- Wire section=  $3.14 \text{ mm}^2$ .
- Number of turns=  $500 \cdot 500 = 2500 \text{ turns}$ .

Horizontal slice of coil system is presented in Fig 3.

For the currency density equal to  $1\text{ A/mm}^2$  the voltage will be  $3.15\text{ A}$ ; force at the borders of the working volume will be equal to:

$$F(z=2R) = 1.4 \cdot 10^{-6} (Gs) + \frac{I(A)}{R(m)^2} = 1.4 \cdot 10^{-6} (Gs) + \frac{7820(A)}{(0.15m)^2} = 0.5 Gs$$

In the center of the system:

$$F(z=R) = 7.6 \cdot 10^{-6} (Gs) + \frac{I(A)}{R(m)^2} = 7.6 \cdot 10^{-6} (Gs) + \frac{7820(A)}{(0.15m)^2} = 2.7 Gs$$

Resistance of one such coil will be equal to:

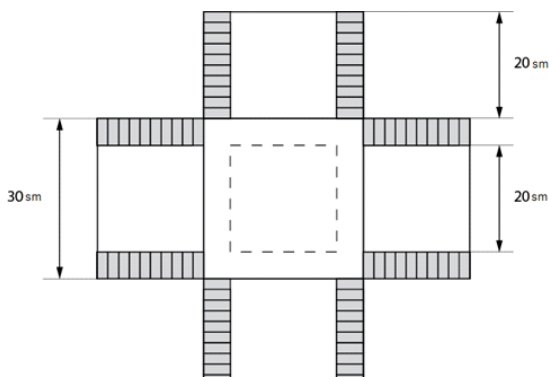
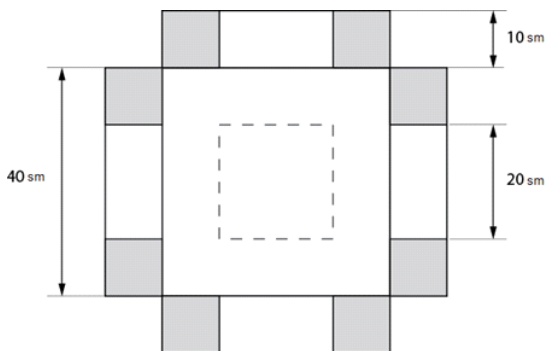
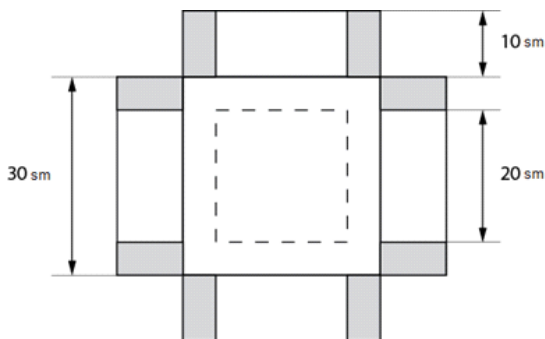
$$R = \rho_l = \frac{0.018 (\text{Ohm} \cdot \frac{\text{mm}^2}{\text{m}}) \cdot 2 \cdot \pi \cdot 0.15 (m) \cdot 1000 (\text{turns})}{2.14 (\text{mm}^2)} = 13.5 \text{ Ohm}$$

Current source strength:

$$P = I^2 R = (3.14 \text{ A})^2 \cdot 13.5 \text{ Ohm} = 133 \text{ Wt}$$

Power voltage:  $U = I = 3.14 \text{ A} = 42 \text{ W}$

### 7) Basic variant



The coil is made of several single coils with air-gap between them for the possibility of airing. (Fig.4).

For a wire with 1 mm in diameter single coil parameters are:

- Wire diameter – 1 mm.
- Inner diameter – 20 sm.
- Outer diameter – 30 sm.
- Cross-section – 5sm x 2 sm.
- Wire section – 0.785 mm<sup>2</sup>.
- Number of turns – 1000.

Thus, the resistance of this coil is:

$$R = \frac{\rho l}{S} = \frac{0.018 (\text{Ohm} \cdot \frac{\text{mm}^2}{\text{m}}) \cdot 2 \cdot \pi \cdot 0.125 (m) \cdot 1000 (\text{turns})}{0.785 (\text{mm}^2)} = 18 \text{ Ohm}$$

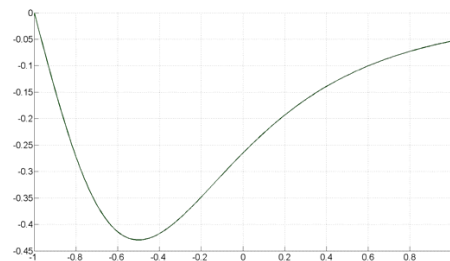
Without active cooling such coil can stand 2A, i.e. one such coil will consume the following power:

**Table 1: Gaps and number of turns**

Gap between the turns	Number of turns
1	98
2	72
3	55
4	50
5	45

**Table 2: Gaps and number of turns**

Gap between the turns	Number of turns
1	196
2	144
3	110
4	100
5	90



$$P_0 = I^2 R = (2A)^2 \cdot 18 \text{ Ohm} = 72 \text{ Wt}$$

For 10 such coils the power equals:

$$P = 10P_0 = 720 \text{ Wt}$$

This power can be provided by the AKHI-1134-300-5 power sources (Capacity 1.5 kW, Voltage 0-300V, Current 0-5A).

Single coil wire length:

$$L = 2 \cdot \pi \cdot 0.125(\text{m}) \cdot 1000(\text{turns}) = 785 \text{ m}$$

The weight of the wire of such length:

$$M = \rho l S = 8900(\text{kg/m}^3) \cdot 785(\text{m}) \cdot 0.785 \cdot 10^{-6} (\text{m}^2) = 5.5 \text{ kg}$$

For a wire 2mm in diameter:

#### Single coil parameters

- ' Wire diameter – 2 mm.
- ' Inner diameter – 20 sm.
- ' Outer diameter – 30 sm.
- ' Cross-section – 5sm x 2 sm.
- ' Wire section – 3.14 mm<sup>2</sup>.
- ' Number of turns – 250.

#### Resistance of such coil equals

$$R = \frac{\rho l}{S} = \frac{0.018 \text{ Ohm} \cdot \frac{\text{m}^2}{\text{m}} \cdot 2 \cdot \pi \cdot 0.125 \text{ m} \cdot 1000(\text{turns})}{3.14(\text{mm}^2)} = 1.13 \text{ Ohm}$$

With current equal to 8A:

$$P_0 = I^2 R = (8A)^2 \cdot 1.13 \text{ Ohm} = 72 \text{ Wt}$$

For 10 such coils, the capacity is:

Single coil wire length:

$$L = 2 \cdot \pi \cdot 0.125(\text{m}) \cdot 250(\text{turns}) = 196 \text{ m}$$

The weight of the wire of such length:

$$M = \rho l S = 8900(\text{kg/m}^3) \cdot 196(\text{m}) \cdot 3.14 \cdot 10^{-6} (\text{m}^2) = 5.5 \text{ kg}$$

## CONCLUSIONS

According to the above mentioned calculations for sample coil, the following conclusions can be made:

1. First, two different geometry for coil cross-section, square one (10 sm on side) and rectangular one (5 sm and 10 sm on sides) produce almost equal forces, which affect dipole (almost 25%), but rectangular section will have better heat characteristics, because it has more surface area-inner volume ratio. Surface area provides cooling and within the inner volume the heating is made.
2. Second, the power sources used (AKHI-1134-300-5) help to work with high voltage and with low currents that is why it is more preferable to use copper wire, than copper tube. But the proposed calculation shows that with equal parameters, tubes coils provide more force, means when copper tubes are used the system is more compact.

The proposed calculations help to choose optimal coil construction for magnetic control system for wireless endoscopic capsule. They can be used for improving technical parameters of the control system in design. The authors plan to make a sample of the chosen magnet coil and to test it.

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